



---

# Investment Analysis & Portfolio Management

Assistant Professor  
Nattawoot Koowattanatianchai,  
DBA, CFA



- **Email:**
  - ❑ **fbusnwk@ku.ac.th**
- **Homepage:**
  - ❑ **<http://fin.bus.ku.ac.th/nattawoot.htm>**
- **Phone:**
  - ❑ **02-9428777 Ext. 1212**
- **Mobile:**
  - ❑ **087- 5393525**
- **Office:**
  - ❑ **9<sup>th</sup> floor, KBS Building 4**

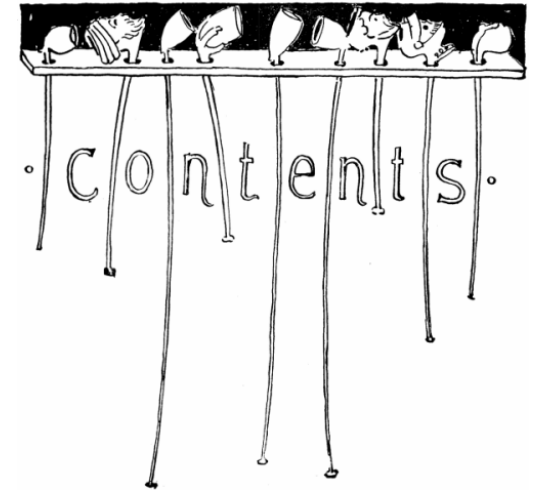


# Lecture 1

## Fixed income securities

# Discussion topics

- Bond and bond valuation
- Government and corporate bonds
- Bond markets
- Determinants of bond yields



# Readings

- Ross, S., Westerfield, R. and Jaffe, J. (2010), *Corporate Finance* (9<sup>th</sup> Edition), McGraw Hill/Irvin. (Chapter 8)
- CFA Program Curriculum 2015 - Level II – Volume 4: Equity.





# Bonds and Bond Valuation

- A bond is a legally binding agreement between a borrower and a lender that specifies the:
  - Par (face) value
  - Coupon rate
  - Coupon payment
  - Maturity Date
- The yield to maturity is the required market interest rate on the bond.

# Bond Valuation

- Primary Principle:
  - Value of financial securities = PV of expected future cash flows
- Bond value is, therefore, determined by the present value of the coupon payments and par value.
- Interest rates are inversely related to present (i.e., bond) values.



# The Bond-Pricing Equation

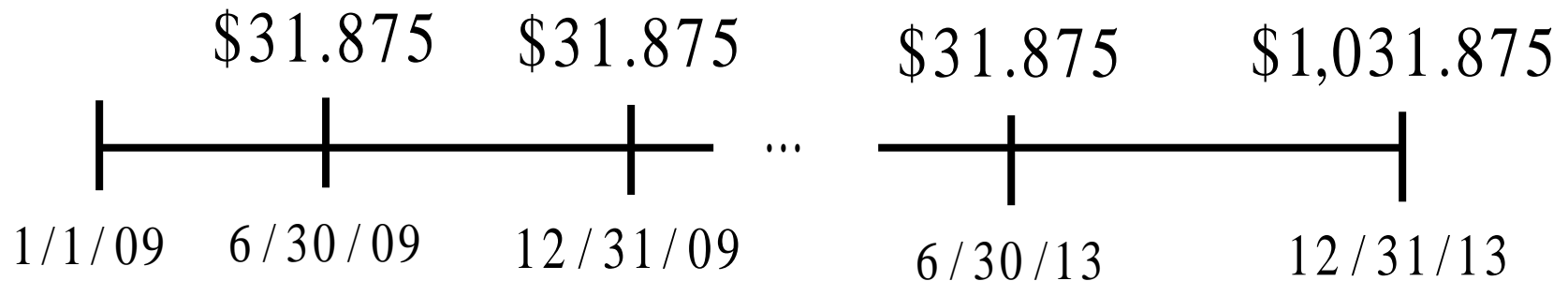
## ■ Notation

- C = coupon payment each period
- F = par/face value
- r = discount rate (yield to maturity)
- n = number of coupon payments

$$\text{Bond Value} = C \left[ \frac{1 - \frac{1}{(1+r)^n}}{r} \right] + \frac{F}{(1+r)^n}$$

# Bond Example

- Consider a U.S. government bond with a  $6 \frac{3}{8}\%$  coupon that expires in December 2013.
  - The *Par Value* of the bond is \$1,000.
  - *Coupon payments* are made semiannually (June 30 and December 31 for this particular bond).
  - Since the *coupon rate* is  $6 \frac{3}{8}\%$ , the payment is \$31.875.
  - On January 1, 2009 the size and timing of cash flows are:



# Bond Example

- On January 1, 2009, the required yield is 5%.
- The current value is:

$$P = \frac{\$31.875}{.05/2} \left[ 1 - \frac{1}{(1.025)^{10}} \right] + \frac{\$1,000}{(1.025)^{10}} = \$1,060.17$$

# Bond Example: Calculator

Find the present value (as of January 1, 2009), of a 6 3/8% coupon bond with semi-annual payments, and a maturity date of December 2013 if the YTM is 5%.

N

10

I/Y

2.5

PV

– 1,060.17

PMT

$$31.875 = \frac{1,000 \times 0.06375}{2}$$

FV

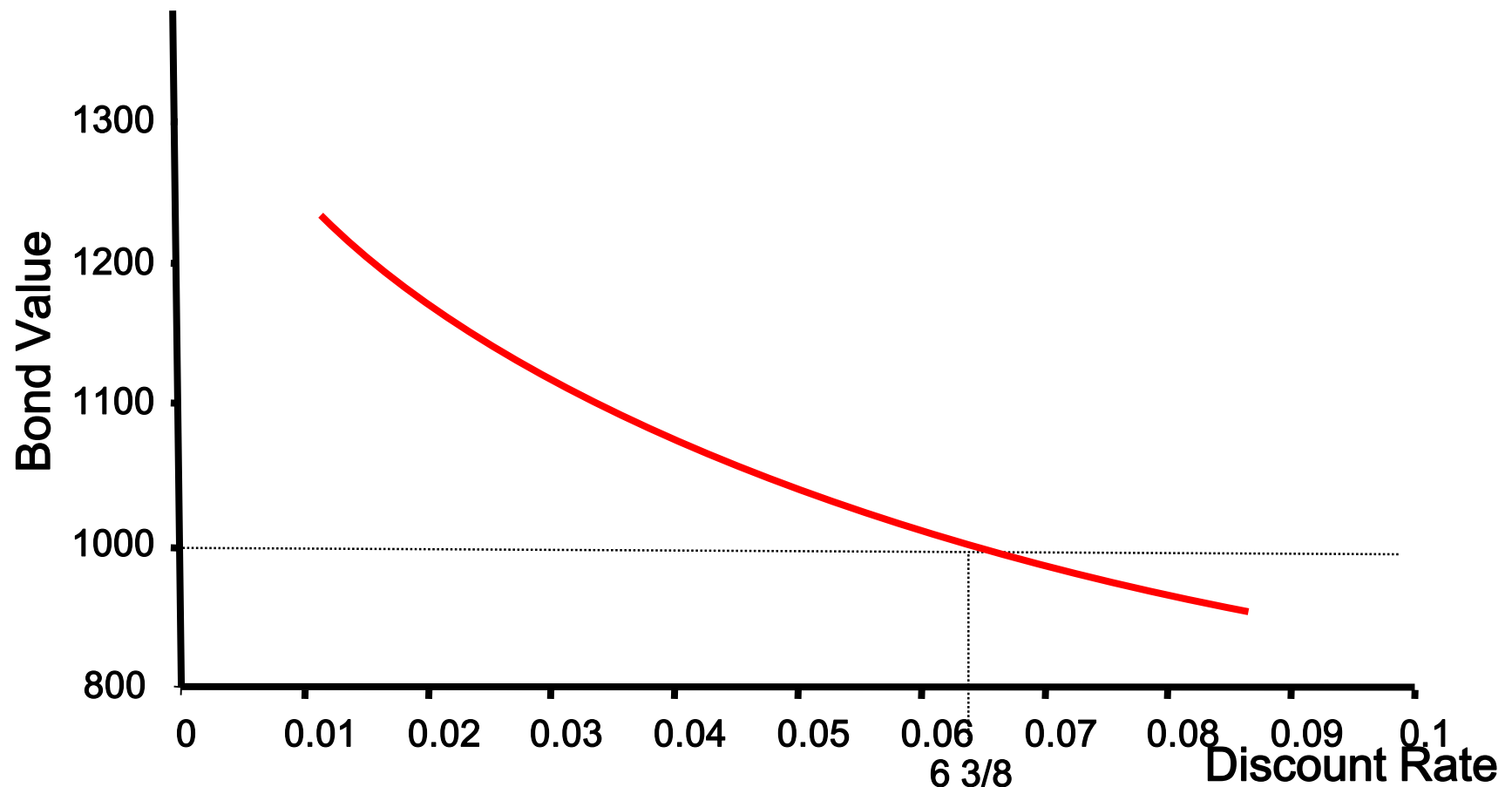
1,000

# Bond Example

- Now assume that the required yield is 11%.
- How does this change the bond's price?

$$P = \frac{\$31.875}{.11/2} \left[ 1 - \frac{1}{(1.055)^{10}} \right] + \frac{\$1,000}{(1.055)^{10}} = \$825.69$$

# YTM and Bond Value



# Bond Concepts

- ❑ Bond prices and market interest rates move in opposite directions.
- ❑ When coupon rate = YTM, price = par value
- ❑ When coupon rate > YTM, price > par value (premium bond)
- ❑ When coupon rate < YTM, price < par value (discount bond)



# Computing Yield to Maturity

- Yield to maturity is the rate implied by the current bond price.
- Finding the YTM requires trial and error if you do not have a financial calculator and is similar to the process for finding  $r$  with an annuity.
- If you have a financial calculator, enter  $N$ ,  $PV$ ,  $PMT$ , and  $FV$ , remembering the sign convention ( $PMT$  and  $FV$  need to have the same sign,  $PV$  the opposite sign).

# YTM with Annual Coupons

- Consider a bond with a 10% annual coupon rate, 15 years to maturity, and a par value of \$1,000. The current price is \$928.09.
  - Will the yield be more or less than 10%?
  - $N = 15$ ;  $PV = -928.09$ ;  $FV = 1,000$ ;  $PMT = 100$
  - CPT I/Y = 11%

# YTM with Semiannual Coupons

- Suppose a bond with a 10% coupon rate and semiannual coupons has a face value of \$1,000, 20 years to maturity, and is selling for \$1,197.93.
  - Is the YTM more or less than 10%?
  - What is the semi-annual coupon payment?
  - How many periods are there?
  - $N = 40$ ;  $PV = -1,197.93$ ;  $PMT = 50$ ;  $FV = 1,000$ ;  
CPT  $I/Y = 4\%$  (Is this the YTM?)
  - $YTM = 4\% \times 2 = 8\%$

# Current Yield vs. Yield to Maturity

- Current Yield = annual coupon / price
- Yield to maturity = current yield + capital gains yield
- Example: 10% coupon bond, with semi-annual coupons, face value of 1,000, 20 years to maturity, \$1,197.93 price
  - Current yield =  $100 / 1197.93 = .0835 = 8.35\%$
  - Price in one year, assuming no change in YTM = 1,193.68
  - Capital gain yield =  $(1193.68 - 1197.93) / 1197.93 = -.0035 = -.35\%$
  - YTM =  $8.35 - .35 = 8\%$ , which is the same YTM computed earlier

# Bond Pricing Theorems

- Bonds of similar risk (and maturity) will be priced to yield about the same return, regardless of the coupon rate.
- If you know the price of one bond, you can estimate its YTM and use that to find the price of the second bond.
- This is a useful concept that can be transferred to valuing assets other than bonds.

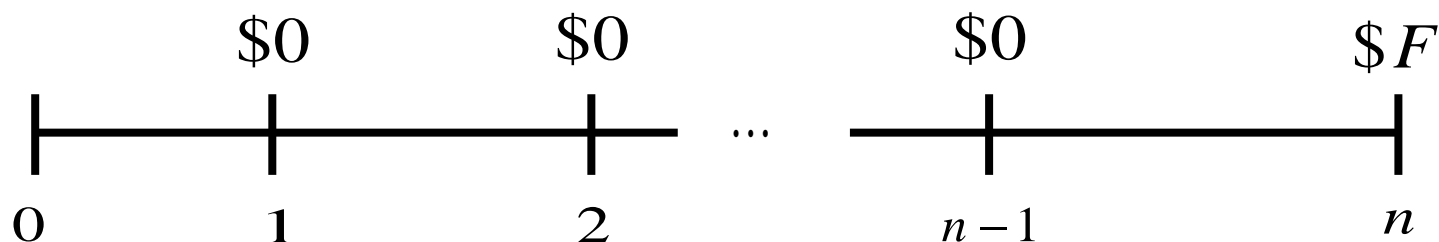
# Zero Coupon Bonds

- Make no periodic interest payments (coupon rate = 0%)
- The entire yield to maturity comes from the difference between the purchase price and the par value
- Cannot sell for more than par value
- Sometimes called zeroes, deep discount bonds, or original issue discount bonds (OIDs)
- Treasury Bills and principal-only Treasury strips are good examples of zeroes

# Pure Discount Bonds

Information needed for valuing pure discount bonds:

- Time to maturity ( $n$ ) = Maturity date - today's date = number of discounting periods
- Face value ( $F$ )
- Discount rate ( $r$ )



**Present value of a pure discount bond at time 0:**

$$P = \frac{F}{(1+r)^n}$$



# Government and Corporate Bonds

## ■ Treasury Securities

- ❑ Federal government debt
- ❑ T-bills – pure discount bonds with original maturity less than one year
- ❑ T-notes – coupon debt with original maturity between one and ten years
- ❑ T-bonds – coupon debt with original maturity greater than ten years

## ■ Municipal Securities

- ❑ Debt of state and local governments
- ❑ Varying degrees of default risk, rated similar to corporate debt
- ❑ Interest received is tax-exempt at the federal level

# After-tax Yields

- A taxable bond has a yield of 8%, and a municipal bond has a yield of 6%.
  - If you are in a 40% tax bracket, which bond do you prefer?
    - $8\%(1 - .4) = 4.8\%$
    - The after-tax return on the corporate bond is 4.8%, compared to a 6% return on the municipal
  - At what tax rate would you be indifferent between the two bonds?
    - $8\%(1 - T) = 6\%$
    - $T = 25\%$

# Corporate Bonds

- Greater default risk relative to government bonds
- The promised yield (YTM) may be higher than the expected return due to this added default risk

# Bond Ratings – Investment Quality

## ■ High Grade

- Moody's Aaa and S&P AAA – capacity to pay is extremely strong
- Moody's Aa and S&P AA – capacity to pay is very strong

## ■ Medium Grade

- Moody's A and S&P A – capacity to pay is strong, but more susceptible to changes in circumstances
- Moody's Baa and S&P BBB – capacity to pay is adequate, adverse conditions will have more impact on the firm's ability to pay

# Bond Ratings - Speculative

## ■ Low Grade

- ❑ Moody's Ba and B
- ❑ S&P BB and B
- ❑ Considered speculative with respect to capacity to pay.

## ■ Very Low Grade

- ❑ Moody's C
- ❑ S&P C & D
- ❑ Highly uncertain repayment and, in many cases, already in default, with principal and interest in arrears.

# Bond Markets

- Primarily over-the-counter transactions with dealers connected electronically
- Extremely large number of bond issues, but generally low daily volume in single issues
- Makes getting up-to-date prices difficult, particularly on a small company or municipal issues
- Treasury securities are an exception

# Determinants of Bond Yields

- Term structure is the relationship between time to maturity and yields, all else equal.
- It is important to recognize that we pull out the effect of default risk, different coupons, etc.
- Yield curve – graphical representation of the term structure
  - Normal – upward-sloping, long-term yields are higher than short-term yields
  - Inverted – downward-sloping, long-term yields are lower than short-term yields



# Factors Affecting Required Return

- Default risk premium – remember bond ratings
- Taxability premium – remember municipal versus taxable
- Liquidity premium – bonds that have more frequent trading will generally have lower required returns (remember bid-ask spreads)
- Anything else that affects the risk of the cash flows to the bondholders will affect the required returns.

